

Study Materials
 Class - B. Com Hons Sem IV
 Sub Code – BCH 4.2
 Topic – Mean – Short Cut Method

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Finding out mean through shortcut method

If the values of x and f are large, then the direct method is very tedious and time consuming. As there are big calculations and chance of making mistake in that. So to minimize the time and easy calculations there is another method as mean short cut method. In this method we take deviations from an arbitrary point.

x_1, x_2, \dots, x_n , are observations with respective frequencies f_1, f_2, \dots, f_n .

Let deviation A take at any point, we have

$d_i = x_i - A$, where, $i = 1, 2, 3, \dots, n$.

$\Rightarrow f_i d_i = f_i (x_i - A)$; $i = 1, 2, 3, \dots, n$

So mean by this method is given by

$$\bar{x} = A + \frac{1}{N} \sum f_i d_i$$

Steps involved in finding the mean short cut method :

- 1) Prepare a frequency table.
- 2) Choose A and take deviations $d_i = x_i - A$ of the values of x_i .
- 3) Multiply $f_i d_i$ and find the sum of it.
- 4) Use the above formula and find the mean.

Some solved examples :

- 1) The following table shows the weights of 12 students :

Weight(in kg)	67	70	72	73	75
Number of students	4	3	2	2	1

Find the mean by using short-cut method.

Solution :

Let the assumed mean = $A = 72$

Weight(in kg)	No. of students (fi)	di = xi - A = xi - 72	fi di
67	4	-5	- 20
70	3	-2	- 6
72	2	0	2
73	2	1	2

75

1

3

3

$$\Sigma f_i = 12$$

$$\Sigma f_i d_i = -21$$

$$\Sigma f_i = 12, \Sigma f_i d_i = -21, A = 72$$

$$\bar{x} = A + \frac{1}{N} \Sigma f_i u_i$$

$$\Rightarrow \text{Mean} = 72 + (-21) / 12 = 72 - 7 / 4$$

$$\Rightarrow \text{Mean} = 70.25 \text{ kg.}$$

Example 2 : Find the mean of the following frequency distribution :

Class interval	0-10	10-20	20-30	30-40	40-50
Number of workers (f)	7	10	15	8	10

Solution :

Class interval	Class mark (xi)	Frequency (fi)	di = xi - 25	fi di
0 - 10	5	7	-20	-140
10 - 20	15	10	-10	-100
20 - 30	25	15	0	0
30 - 40	35	8	10	80
40 - 50	45	10	20	200
		$\Sigma f_i = 50$		40
